I claim:

1. A method for compressing a Rabin signature, s, for a user having a public key, n, comprising the step of:

generating a compressed Rabin signature based on a continued fraction expansion of s/n.

2. The method of claim 1, wherein said continued fraction expansion of s/n further comprises the steps of

computing principal convergents, u_i/v_i, for i equal to 1 to k, of a continued fraction expansion of s/n, where k is a largest integer for which principal convergents are defined;

establishing an index *l*, such that $v_l < \sqrt{n} \leq v_{l+1}$; and

generating a compressed Rabin signature (v_l, m) for a message, m.

3. A method for compressing a Rabin signature, s, for a message, m, and a user having a public key, n, comprising the steps of:

computing principal convergents, u_i/v_i, of a continued fraction expansion of s/n;

establishing an index *l*, such that $v_l < \sqrt{n} \leq v_{l+1}$; and

generating a compressed Rabin signature (v_l, m).

4. The method according to claim 3, wherein $sv=u \pmod n$.

5. The method according to claim 3, wherein $|v| \leq \sqrt{n}$.

6. The method according to claim 3, wherein $|u| \leq \sqrt{n}$.

7. The method according to claim 1, wherein said principal convergents, u_i/v_i, are computer for i equal to 1 to k, where k is a largest integer for which principal convergents are defined.

8. A method for decompressing a compressed Rabin signature (v, m) for a message, m, and user having a public key, n, comprising the steps of:

applying a message formatting function, h, to the message, m, to computing h(m);

computing a value, t, as $h(m)v^2 \bmod n$;

obtaining a value, w, as a square root of the value, t;

computing a signature value, s, as w/v mod n; and

providing a decompressed signature (s,m).

9. The method of claim 8, further comprising the step of generating an error if no integer square root exists.

10. A method for compressing an RSA signature, s, for a message, m, and a user having a public key (n, e), comprising the steps of:

computing principal convergents, u_i/v_i, of the continued fraction expansion of s/n;

establishing an index l, such that $v_l < n^{(1-1/e)} \leq v_{l+1}$; and

generating a compressed signature (v_l, m).

11. A method for decompressing a RSA signature (v, m) for a message, m, and a user having a public key (n, e), comprising the steps of:

applying a message formatting function, h, to the message, m, to computing h(m);

computing a value, t, as $h(m)v^e \bmod n$;

determining whether the values t or t-n have an e^{th} root over integer values;

computing a value, w, as the e^{th} root; and

computing the decompressed signature (w/v mod n, m).

12. The method of claim 11, further comprising the step of generating an error if no e^{th} root exists.

13. A system for compressing a Rabin signature, s, for a user having a public key, n, comprising:

a memory; and

at least one processor, coupled to the memory, operative to:

generate a compressed Rabin signature based on a continued fraction expansion of s/n.

14. The system of claim 13, wherein said processor is further configured to perform said continued fraction expansion of s/n by:

computing principal convergents, u_i/v_i, for i equal to 1 to k, of a continued fraction expansion of s/n, where k is a largest integer for which principal convergents are defined;

establishing an index *l*, such that $v_l < \sqrt{n} \leq v_{l+1}$; and

generating a compressed Rabin signature (v_l, m) for a message, m.

15. A system for decompressing a compressed Rabin signature (v, m) for a message, m, and user having a public key, n, comprising:

a memory; and

at least one processor, coupled to the memory, operative to:

apply a message formatting function, h, to the message, m, to computing h(m);

compute a value, t, as $h(m)v^2 \bmod n$;

obtain a value, w, as a square root of the value, t;

compute a signature value, s, as $w/v \bmod n$; and

providing a decompressed signature (s,m).

16. The system of claim 15, wherein said processor is further configured to generate an error if no integer square root exists.